

1.10
S

$DM \parallel AC \leftarrow \triangle ABC \rightarrow \triangle BDM \text{ (S.S.)} \rightarrow DM \perp BC$
 $\triangle ABC \sim \triangle DBM \leftarrow \angle A = \angle BDM \leftarrow$
 $1:2 \text{ (S.S.)} \leftarrow \angle C = \angle BDM$
 $MH = \frac{1}{2} AC \leftarrow \triangle BHC \rightarrow \text{midpoint } MH$
 $\angle HMC = 180 - 2\alpha \leftarrow \angle C = \alpha = \angle DMB \text{ (S.S.)}$
 $\angle DMH = \alpha$

$1:2 \text{ (S.S.)} \leftarrow \text{(S.S.) } \triangle ABC \sim \triangle DHM$
 $\frac{\frac{3a}{2}}{6a} = \frac{1}{12} \text{ (S.S.) } \triangle MHC \sim \triangle ABC \leftarrow \angle MHC = \angle C = \angle B$

$\angle OHA = \angle A = 180 - 2\alpha \rightarrow \angle ABH = 2\alpha - 90$
 $\angle HBC = 90 - \alpha$
 $\angle OHB = 90 - (180 - 2\alpha) = 2\alpha - 90$
 $\angle HBF = 180 - \angle ABH = 180 - (2\alpha - 90) = 270 - 2\alpha$
 $\angle BHE = \angle BHC + \angle CHE = 90 + 180 - 2\alpha = 270 - 2\alpha$
 $(S.S.S) \triangle BHE \cong \triangle HBF \rightarrow FH = BE$
 $BF = HE$
 $\frac{DB}{BF} = \frac{3a}{BF} = \frac{3a}{HE} = \frac{DM}{HE} \xrightarrow{\text{S.S.S}} BH \parallel FE$
 $\text{S.S.S } BHEF \text{ (S.S.)}$