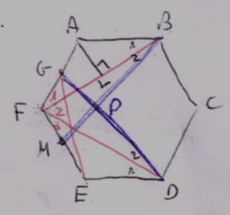


1.9  
5



(S.S.S)  $\triangle ABF \cong \triangle FED$   
 $\Downarrow$   
 $BF = FD$   
 $\angle F_1 = \angle F_3$   
 $\Downarrow$   
 $\angle GFD = \angle F_1 + \angle F_2 = \angle F_1 + \angle F_3 = \angle BFM$   
 $FG = FM$   
 $\Downarrow$   
 $DG = BM \iff (S.S.S) \triangle BFM \cong \triangle DFG$

. C-1 F P & P , k-ay

$\angle PBC = \angle B - \angle B_1 - \angle B_2 = \angle D - \angle D_1 - \angle D_2 = \angle PDC$   
 $\dots$   
 $\angle DBC = \angle CBD \rightarrow \angle PBD = \angle PDB \rightarrow PB = PD, GP = PM$

(3.3.3)  $\triangle FGP \cong \triangle FMP \Rightarrow$   $\parallel$   $\text{in } FP \rightarrow \angle GFP = 60^\circ$  }  $AF \parallel DC$   
 (3.3.3)  $\triangle PBC \cong \triangle PDC \Rightarrow$   $\parallel$   $\text{in } PC \rightarrow \angle PCD = 60^\circ$  }  $(\text{adjacent})$   
 $\Downarrow$   
 $\angle GPF = \angle CPD \iff (S.S.) \triangle FGP \sim \triangle COP \iff (adjacent) \angle FGD = \angle GDC$   
 $\angle GPD = 180^\circ = \angle GPF + \angle FPD$  }  $\text{in } GP$   
 $= \angle CPD + \angle FPD = \angle FPC$   
 $\text{and in } \triangle C, P, F \text{ the } \angle \text{ is } 60^\circ$   
 $\frac{FG}{PC} = 1:2$  :  $\text{the adjacent side is } 1 \text{ and the hypotenuse is } 2$   
 $FG:PC = 1:2$   $\text{ of } GP$